## Question a day!



1. This is a kinematics equation problem.

$$u = 25 \text{ ms}^{-1}$$

$$v = 10 \text{ ms}^{-1}$$

$$a = -5 \text{ms}^{-2}$$

t =

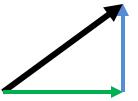
From the data we will use 
$$v^2 = u^2 + 2as$$

$$10^2 = 25^2 + (2 \times 5 \times s)$$

$$10s = 625 - 100$$

$$s = 525 \, \text{m}$$

- 2. Use your projectile template for this problem
  - a. Initial vertical velocity = 30xsin30 = 15 ms<sup>-1</sup>
    Initial horizontal velocity = 30xcos30 = 26 ms<sup>-1</sup>



b. Calculate time at the max height: found when the vertical velocity = 0

## Vertical

$$a = -9.8 \text{ ms}^{-2}$$

From the data given you can use v = u + at

Insert the data 
$$0 = 15 + (-9.8xt)$$

Rearrange 
$$-15/-9.8 = t$$

- c. The horizontal distance travelled by the ball can now be found by substituting double this time into the horizontal data.
  - We double the time because the ball will take 1.5s to reach max height and another 1.5seconds to hit the ground.

So horizontal distance =  $26 \times 3 = 78 \text{m}$ 

- 3. Unbalanced force is found as follows:
  - a.  $F_{un} = ma$

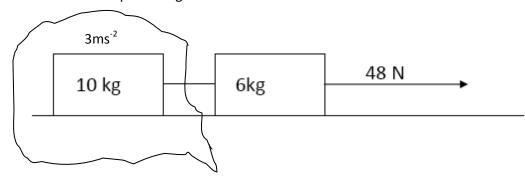
$$48 = 16 \times a$$

$$a = 48/16$$

 $a = 3ms^{-2}$ 

So the two masses accelerate at the same value.

b. Now bubble wrap the 10kg mass



This 10kg mass feels a force of  $F = ma = 10 \times 3 = 30N$ 

- 4. The weight of the rocket is found from W = mg where  $g = 9.8 \text{Nkg}^{-1}$ 
  - a. So weight of the rocket =  $15,000 \times 9.8 = 147,000N$
  - b. Always draw the force diagram:
  - c. From the diagram

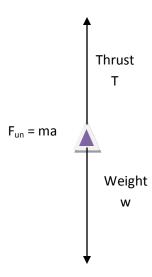
$$F_{un} = T - w$$

Rearranging gives  $T = F_{un} + w$ 

Now stick in the data

$$T = (15000 \times 12) + (147,000)$$

T = 327,000N



- 5. Skiers weight component parallel to the slope =  $mgsin\Theta$ 
  - a. So Force parallel to the slope =  $60 \times 9.8 \times \sin 30^{\circ}$ F = 294N
  - b. Forces must be balanced so frictional force = 294N

